

Spatial and Temporal Dimensions to the Value of Recreational Fishing

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Introduction

- The United States has seen considerable increase in time allocated towards leisure in general (Aguiar & Hurst, 2007)
- Pergams and Zaradic (2008) evaluated various forms of nature recreation (e.g., fishing, camping, backpacking) related to park visitation in the United States, Japan, and Spain and find a decline the majority of the categories, and thus diagnosed **“a fundamental and pervasive shift away from nature-based recreation.”**
- Marine recreational fishing alone produced \$63.4 billion in spending and accounted for 61 million recreational trips in 2015 (NMFS 2015) as a whole (BEA 2018).

Motivation

- Many studies make generalizations about nature-oriented recreation trends from data collected for a specific region over a narrow time window
- Often, benefit transfer applications are pulled from multiple studies where different methods and assumptions are used
- My study takes advantage of the very large and detailed fishing intercept data compiled by the Marine Recreation Information Program division of NOAA to execute a travel cost model that is disaggregated across time and space
- This allows for more meaningful comparisons across seasons and regions

Research Questions

- 1 Create a data set of values over space and time
- 2 Evaluate Krutilla's Conjecture
- 3 Assess the bias that is introduced via temporal or spatial limitations in environmental valuation literature

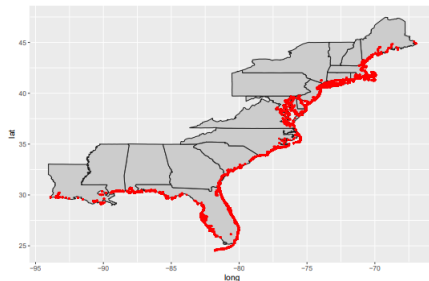
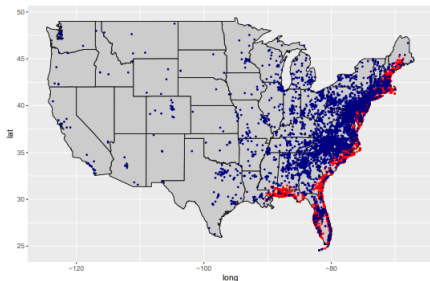
- Data obtained for two month segments (wave) from 2004-2016
- Weights are provided for each site
- From this data, I know the origin (zip code) and site choice
- I merge American Community Survey data via zip code

Wave-Month Correspondence

| wave | period represented |
|------|--------------------|
| 1 | January-February |
| 2 | March-April |
| 3 | May-June |
| 4 | July-August |
| 5 | September-October |
| 6 | November-December |

MRIP Data

- 2,475 shoreline sites are identified in the choice set (shown below)
- Below is an example of all anglers intercepted in 2015 (red denotes travel distance of <100 miles)



Summary Statistics for Anglers

| Statistic | N | Mean | St. Dev. | Min | Max |
|----------------------|-----------|----------|----------|----------|-----------|
| catch | 1,174,632 | 0.895 | 0.306 | 0 | 1 |
| population | 1,196,456 | 25,427 | 16,465.2 | 22 | 114,982 |
| pop_density | 1,196,456 | 48.332 | 63.880 | 0.009 | 3,911.405 |
| median_age | 1,196,456 | 40.299 | 6.469 | 7.900 | 79.500 |
| avg_HH_size | 1,196,452 | 2.558 | 0.304 | 1.090 | 4.920 |
| avg_HH_inc | 1,196,456 | 76,033.6 | 27,538.1 | 10,727.0 | 850,402.1 |
| avg_commute_time | 1,194,184 | 25.541 | 5.400 | 3 | 74 |
| percent_white | 1,196,456 | 77.469 | 18.706 | 0.000 | 100.000 |
| HH_atleastone_child | 1,196,456 | 0.317 | 0.083 | 0.000 | 0.944 |
| percent_married | 1,196,456 | 0.508 | 0.096 | 0.000 | 1.000 |
| percent_HS_grad | 1,196,456 | 0.302 | 0.082 | 0.000 | 1.000 |
| percent_college_grad | 1,196,456 | 0.174 | 0.077 | 0.000 | 0.651 |
| employ_rate | 1,196,444 | 91.070 | 3.684 | 15.254 | 100.000 |
| mi_to_airport | 1,196,456 | 20.1 | 14.9 | 0.1 | 131.1 |

Travel Cost

- Travel distances, tolls, and times are collected via PC*Miler
- Bureau of Transportation Statistics data is used for Fuel Efficiency, AAA data is used for per-mile wear and tear costs, and finally Energy Information Administration data is used for state level gas price data
- DB1B data is used for flight prices, SABRE data is used for flight times, and OAG data is used for layover times
- The opportunity cost of time is derived using the travel cost literature standard of $\frac{1}{3}$ of the wage rate (Cesario 1976)

- The driving cost was calculated as a function of the driving distance (d_{ij}), driving time (t_{ij}), the opportunity cost of time (p_i), hotel nights required (h_{ij}), cost of tolls (f_{ij}), and party size (n), as follows:

$$C_{ij}^D = \frac{p_d d_{ij} + p_h h_{ij} + f_{ij}}{n} + p_i t_{ij}$$

Cost of Flying

- The flying cost was estimated using an algorithm that found the four nearest airports to each origin and destination and determined the lowest cost option
- Each individual is assumed to have 1) driven to the matched airports 2) paid parking costs 3) acquired a rental car 4) paid a \$50 baggage fee for airlines other than JetBlue and Southwest
- Opportunity cost is computed for total driving time, time spent in the airport, and flight time
- the 30th percentile for flight fares were used in effort to identify a typical non-business fare

Estimated Travel Cost

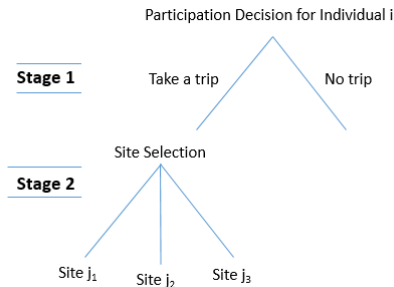
- The probability of flying is modeled as a function of distance using data from English et al. 2018 [▶ Probability Table](#)

$$C_{ij} = (1 - p_{ij})C_{ij}^D + p_{ij}C_{ij}^F$$

where C_{ij}^D is the cost of driving from origin i to destination j and C_{ij}^F denotes the corresponding flying cost.

Methodology

- I estimate a repeated discrete choice model of participation and site choice
- I use a two-stage nested logit framework to decompose the participation decision into two nests



Empirical Implementation

$$V_{ij} = \begin{cases} \delta \times Z_{it}, & \text{no trip} \\ ASC_{jt} + \beta \times C_{ijt}, & \text{trip to site } j \end{cases}$$

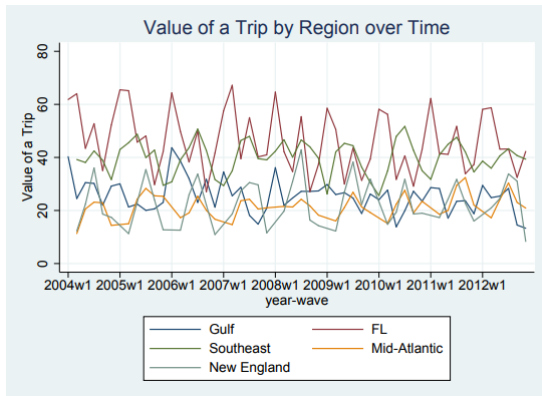
Z_{it} : vector of demographics

ASC_{jt} : Alternative Specific Constants

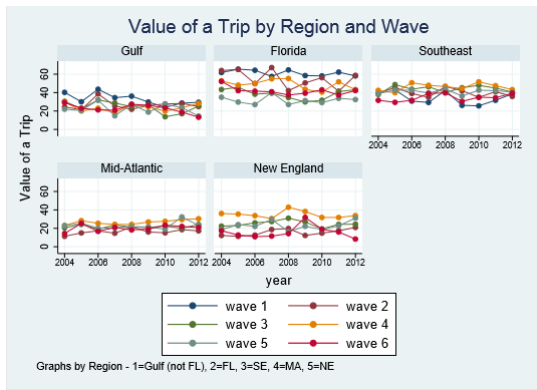
C_{ijt} : Round trip travel cost from origin i to destination j

- The coefficient of interest is β , and $\frac{1}{\beta}$ estimates the value of a trip (VOT)

Results



Results



Results

Value of a Trip by Year and Region (\$2012 Dollars)

| Year | Gulf | Florida | Southeast | Mid-Atlantic | New England | Overall Average |
|-----------------|------|---------|-----------|--------------|-------------|-----------------|
| 2004 | 29 | 52 | 38 | 18 | 21 | 32 |
| 2005 | 23 | 49 | 42 | 24 | 21 | 32 |
| 2006 | 32 | 45 | 40 | 20 | 21 | 32 |
| 2007 | 24 | 50 | 40 | 20 | 24 | 32 |
| 2008 | 27 | 44 | 43 | 21 | 25 | 32 |
| 2009 | 25 | 42 | 37 | 21 | 26 | 30 |
| 2010 | 23 | 43 | 40 | 22 | 21 | 30 |
| 2011 | 23 | 45 | 40 | 25 | 22 | 31 |
| 2012 | 23 | 46 | 40 | 23 | 23 | 31 |
| Overall Average | 25 | 46 | 40 | 22 | 23 | 31 |

Dose-Response Regression of Value of Trip on Distance Share

| | (1) vot |
|----------------|----------------------|
| dis100 | -0.474*** (-5.39) |
| dis200 | 0.0522 (0.24) |
| dis500 | 1.040*** (7.63) |
| average_HH_inc | -0.000133 (-1.07) |
| <i>N</i> | 251 |

Conclusion

- Using my consistent methodology and assumptions, I find strong seasonal effects
- I find the distribution of distance traveled to be an important indicator of value
- Often, due to computational constraints or scope of study, researchers will force a distance threshold, which could introduce a lot of bias in the WTP measurements.
- My research serves as a platform for benefits transfer analysis and experimentation

Future Work

- Future work will focus on the role of income in fishing recreation trends
- I would appreciate suggestions for how to econometrically test for recession/other macroeconomic effects
- Evaluate data for Krutilla's Conjecture

Thank you!

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Probability of Flying

| <i>One-way driving distance</i> | <i>HH Inc \leq \$70k, Family Size \leq 2</i> | <i>HH Inc $>$ \$70k, Family Size \leq 2</i> | <i>HH Inc \leq \$70k, Family Size $>$ 2</i> | <i>HH Inc $>$ \$70k, Family size $>$ 2</i> |
|------------------------------------|--|--|--|--|
| \leq 250 Miles | 0 | 0 | 0 | 0 |
| $>$ 250 Miles & \leq 500 Miles | 0 | 0.03 | 0 | 0 |
| $>$ 500 Miles & \leq 1000 Miles | 0.168 | 0.338 | 0.056 | 0.201 |
| $>$ 1000 Miles & \leq 1500 Miles | 0.736 | 0.788 | 0.443 | 0.784 |
| $>$ 1500 Miles | 0.842 | 0.88 | 0.842 | 0.88 |

HH Inc = household income; Family Size = total number of adults and children in the household.